



CURRICULUM

Programme	Master of Computer Applications								Year of Regulation				2024-25		
Department	Computer Science and Engineering								Semester				I		
Course Code	Course Name				Pre-Requisite	Credit Structure				Marks Distribution					
						L	T	P	C	INT	MID	END	Total		
CA405	Mathematical Foundation of Computer Applications					3	0	0	3	50	50	100	200		
							CO's	Statement					Bloom's Taxonomy		
Course Objectives	1. This course introduces the elementary structures such as sets, graphs, and trees used in computer algorithms and systems. Define and understand the properties of some of the discrete structures in Mathematics.				Course Outcomes	CA405.1	Able to acquire knowledge about different discrete structures of mathematics and identification of its application in computer science area					Understand			
	2. This course illustrates elementary proofs, proofs by induction, deductive proofs in propositional and first order logic.					CA405.2	Able to acquire knowledge about different methods of proofs in propositional logic and first order predicate logic and identification of application in real world problems					Understand			
	3. This course explains the principles of counting; understand recurrence relations and generating functions.					CA405.3	Able to work out on different problems on counting, recurrence relations and generating functions and solve these problems in real world scenarios					Evaluate			
	4. This course illustrates the understand the basic concepts of graphs, group and ring theory					CA405.4	Students will be able to apply discrete structure such as graphs to solve problems of connectivity, scheduling, optimization etc.					Apply			
	5. This course introduces the formulation of generating function and series evaluations					CA405.5	Students will be able to interpret recurrence relations and solve them, represent sequences and series using generating functions.					Evaluate			
COs	Mapping with Program Outcomes (POs)											Mapping with PSOs			
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO11	PO12	PSO1	PSO2	PSO3
CA405.1	3	3		1					2				3		3
CA405.2	3	3		1					2				2		2
CA405.3	2	3	3	1	2								2	3	2
CA405.4	2	2	3	0	2	2	3		2			1	2	3	2
CA405.5	2	2	3	0	2	2	3		2			1	3	3	3
CA405	2.40	2.60	3.00	0.60	2.00	2.00	3.00		2.00			1.00	2.40	3.00	2.40
SYLLABUS															
No.	Content												Hours	COs	
I	Introduction History and Overview of discrete structure and general problems: Basic operations on sets, cartesian products, disjoint union, power sets, inverse of functions, composition of functions, relations, properties of binary relations, equivalence relations and partitions. Principle of inclusion and exclusion, pigeonhole principle												08	CA405.1	
II	Propositional Logic: Syntax and semantics, proof systems, satisfiability, validity, soundness and completeness. Introduction to first order logic.												08	CA405.1	
III	Introduction to recurrence relations and generating functions												06	CA405.1 CA405.2	
IV	Posets, lattices, chains and anti-chains												06	CA405.2 CA405.3 CA405.4	
V	Graphs and their basic properties – degree, path, cycle, subgraphs, isomorphism, Eulerian and Hamiltonian cycles, trees												06	CA405.4 CA405.5	
VI	Groups and Rings: Groups, Subgroups, Cosets, Lagrange’s theorem, Homomorphisms and Normal subgroups, Rings.												08	CA405.2 CA405.4	
Total Hours												42			
Essential Readings															
1. Trembly, Manohar, “Discrete Mathematical Structures with Applications to Computer Science”, McGraw Hill.															
2. C. L. Liu, D. P. Mahapatra, “Elements of Discrete Mathematics”, Tata McGraw Hill.															
3. Harry Lewis and Rachel Zax, “Essential Discrete Mathematics for Computer Science”, Princeton University Press, 2019															
Supplementary Readings															
1. Norman L. Biggs, “Discrete Mathematics”, Oxford University Press.															
2. Albert R. Meyer, Eric Lehman, and Frank Thomson Leighton, “Mathematics for Computer Science”, Samurai Media Limited, 2010															
3. V.K. Balakrishnan, “Introductory Discrete Mathematics”, Dover Publications Inc., 2000															

